

# Local Item-Item Models for Top-N Recommendation

Evangelia Christakopoulou and George Karypis

*Computer Science & Engineering  
University of Minnesota, Twin Cities*



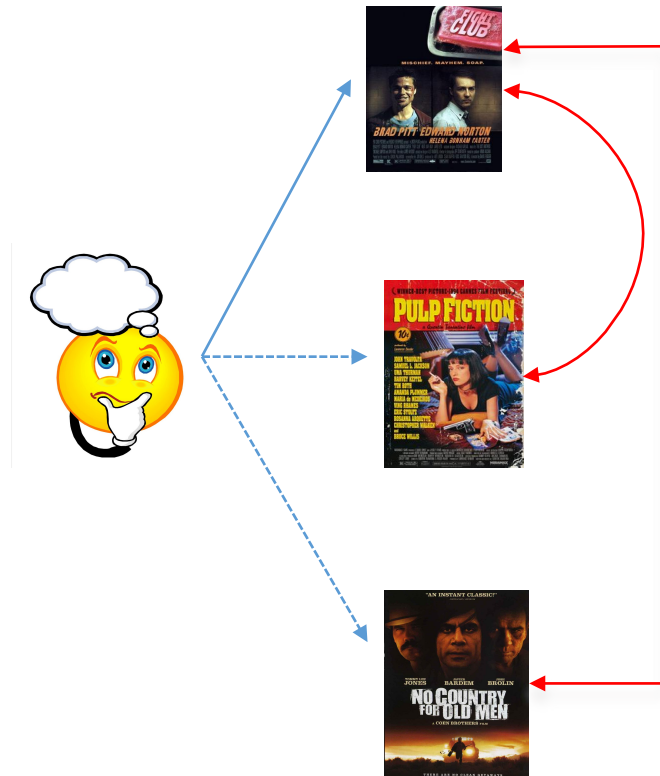
# Overview

- Motivation
- Our Method
- Experimental Evaluation
- Experimental Results
- Conclusion

# Motivation

# Item-based Methods for Top-N Recommendation

- The neighborhood methods identify similar users or items.
- The *item-based* are well-suited for the top-N recommendation task.
- Examples of item-based methods: k-NN and SLIM.

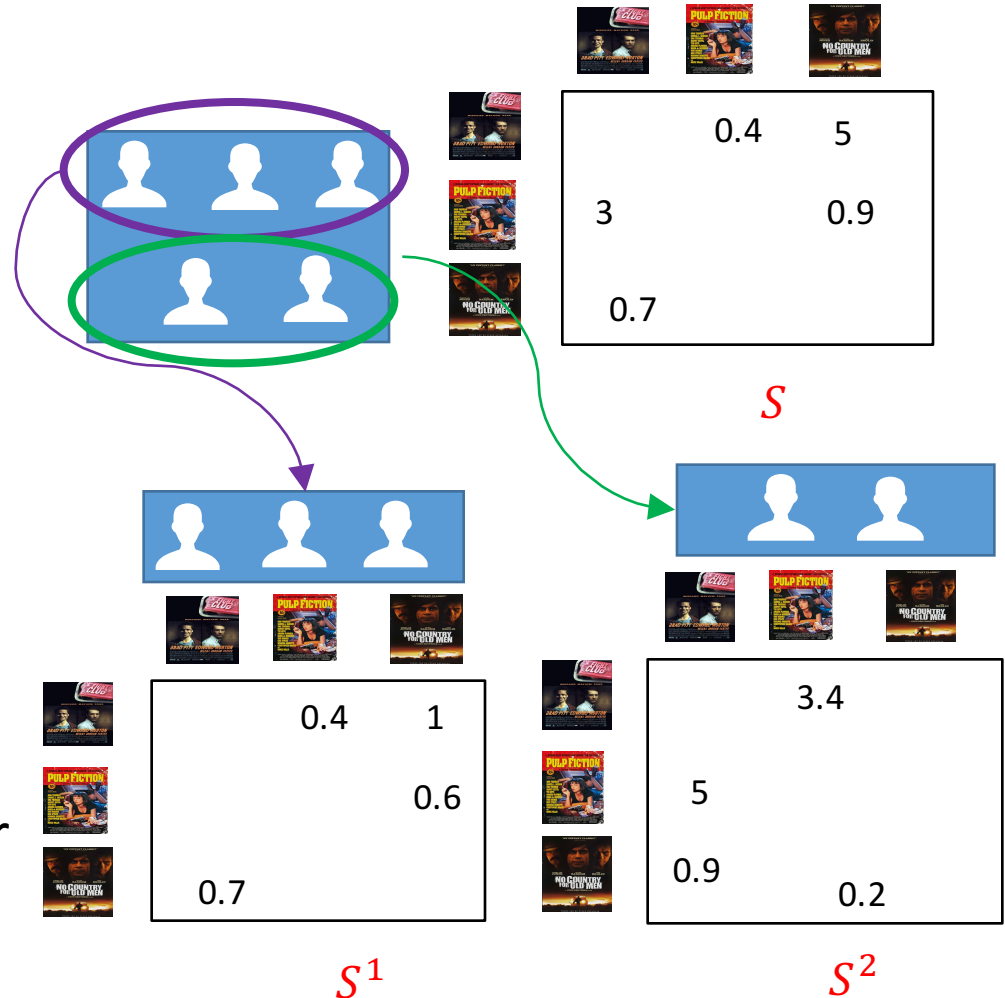


# Limitation of the existing item-based approaches

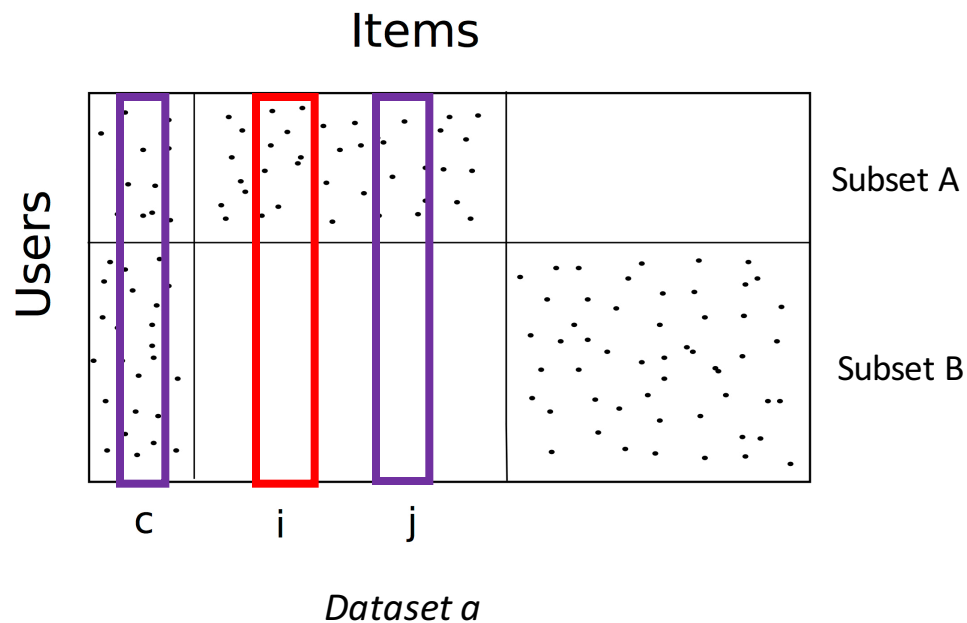
Item-based methods have the drawback of estimating only a *single* model for all users.

However, there could be differences in users' behaviors, which cannot be captured by a single model.

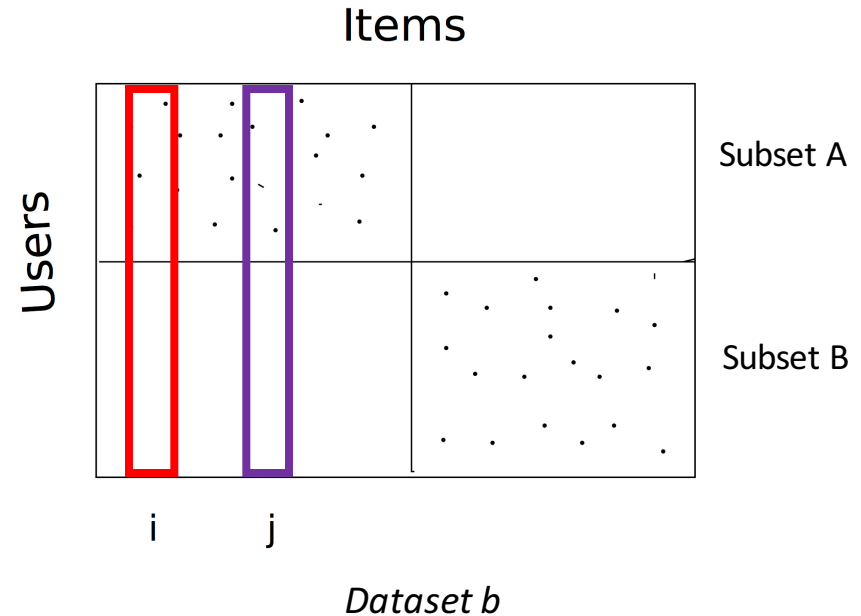
Instead, we need *multiple* item-item models, each for every user subset!



# Example of when local item-item models are beneficial



Local item-item models **improve** upon global item-item model.



Global item-item model and local item-item models yield the **same** results.

**i**: item for which we will compute predictions

# Sneak Preview

Our method is an item-item method that computes top-N recommendations by learning a **global** item-item model and **user-subset specific** item-item models and it automatically identifies the user subsets .

# Our Method

## GLSLIM

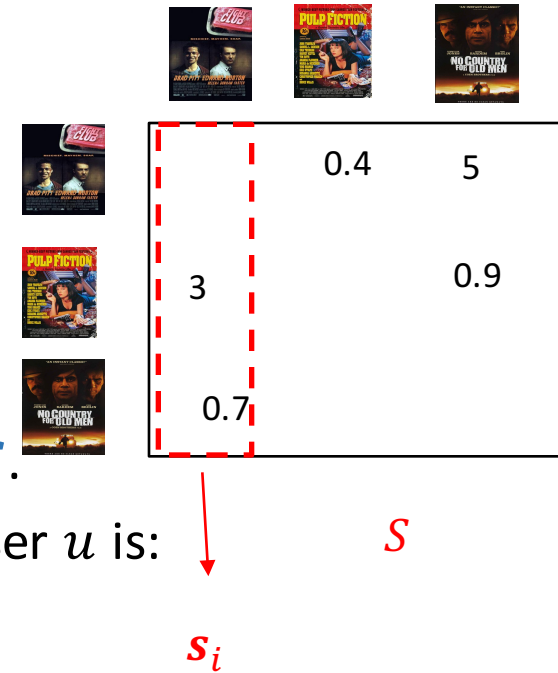


# A few words on SLIM (Sparse Linear Method)

- Computes the item-item relations, by estimating an **items  $\times$  items sparse aggregation coefficient matrix  $S$** .
- The recommendation score of an unrated item  $i$  for user  $u$  is:

$$\hat{r}_{ui} = \mathbf{r}_u^T \mathbf{S}_i.$$

$$\begin{aligned} & \underset{S}{\text{minimize}} && \frac{1}{2} \sum_{u,i} (r_{ui} - \hat{r}_{ui})^2 + \frac{\beta}{2} \|S\|_F^2 + \lambda \|S\|_1, \\ & \text{subject to} && S \geq 0, \text{ and} \\ & && \text{diag}(S) = 0. \end{aligned}$$



# GLSLIM model

If user  $u$  belongs to user subset  $p_u$ , then the predicted rating is:

$$\hat{r}_{ui} = \mathbf{r}_u^T \left( \underbrace{g_u \mathbf{s}_i}_{\text{global}} + \underbrace{(1 - g_u) \mathbf{s}_i^{p_u}}_{\text{local}} \right).$$

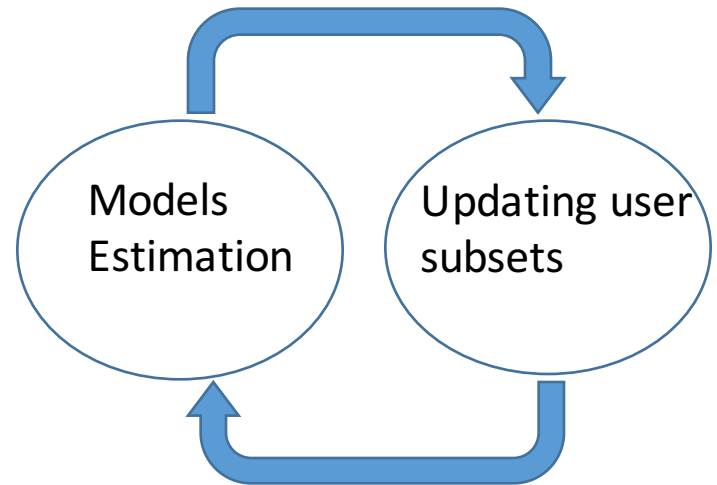
$$\begin{aligned} & \text{minimize}_{S, \{S^1, \dots, S^k\}, \mathbf{p}, \mathbf{g}} \quad \frac{1}{2} \sum_{u,i} (r_{u,i} - \hat{r}_{u,i})^2 + \\ & \quad \underbrace{\left[ \frac{1}{2} \beta_g \|\mathbf{S}\|_F^2 + \lambda_g \|\mathbf{S}\|_1 \right]}_{\text{global}} + \underbrace{\left[ \sum_{p_u=1}^k \left[ \frac{1}{2} \beta_l \|\mathbf{S}^{p_u}\|_F^2 + \lambda_l \|\mathbf{S}^{p_u}\|_1 \right] \right]}_{\text{local}}, \end{aligned}$$

$$\begin{aligned} & \text{subject to} \quad 0 \leq g_u \leq 1, \quad \forall u \\ & \quad p_u \in \{1, \dots, k\}, \quad \forall u \\ & \quad S \geq 0, \quad S^1 \geq 0, \dots, \quad S^k \geq 0 \\ & \quad \text{diag}(S) = 0, \quad \text{diag}(S^1) = 0, \dots, \quad \text{diag}(S^k) = 0. \end{aligned}$$

# How the variables are estimated

We use Alternating Least Squares.

The models are *jointly* optimized with the user assignments and the personalized weight.



# Experimental Evaluation

# Datasets

Name	#Users	#Items	#Transactions	Density
groceries	63,034	15,846	2,060,719	0.21%
ml	69,878	10,677	10,000,054	1.34%
flixfster	29,828	10,085	7,356,146	2.45%
netflix	274,036	17,770	31,756,784	0.65%

# Evaluation Methodology

- Leave-one-out cross-validation.

- Quality measures:  $HR = \frac{\#hits}{\#users}$   $ARHR = \frac{1}{\#users} \sum_{i=1}^{\#hits} \frac{1}{p_i}$

- Comparison algorithms: *PureSVD*, *BPR-MF*, *SLIM*.

- Extensive search over the parameter space.

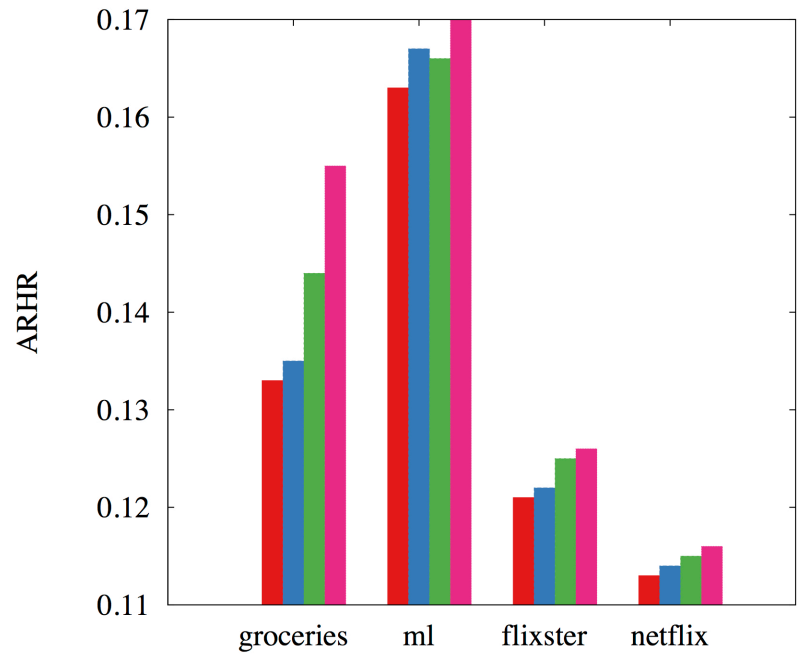
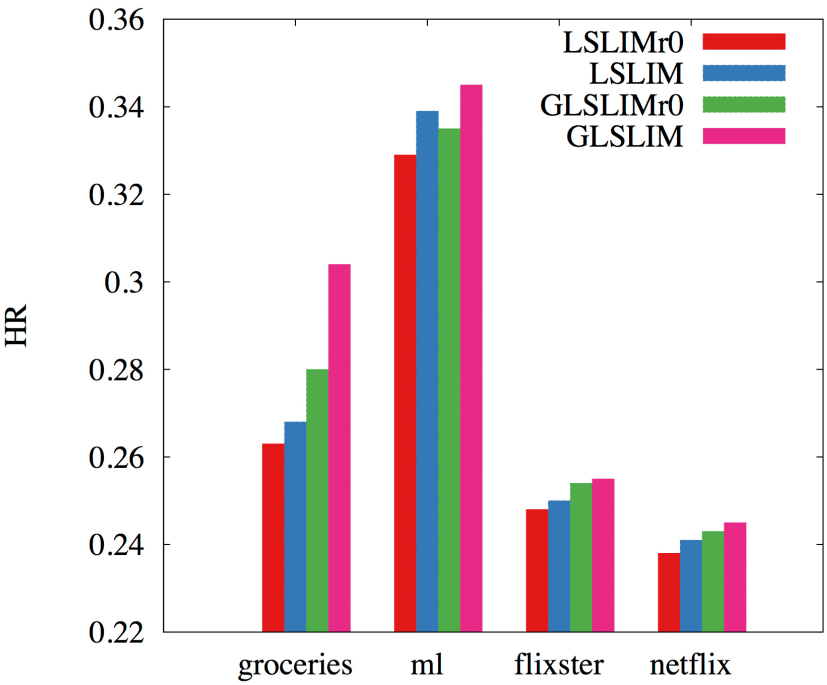
# Proposed Methods

- **LSLIMr0**: Local SLIM without refinement.
- **LSLIM**: Local SLIM with refinement.
- **GLSLIMr0**: Global and Local SLIM without refinement.
- **GLSLIM**: Global and Local SLIM with refinement.

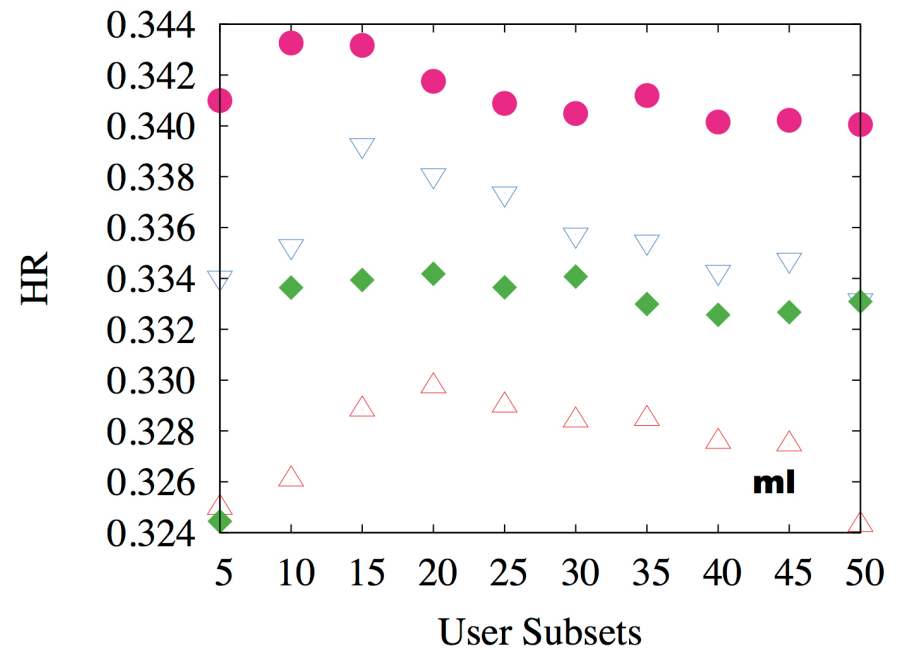
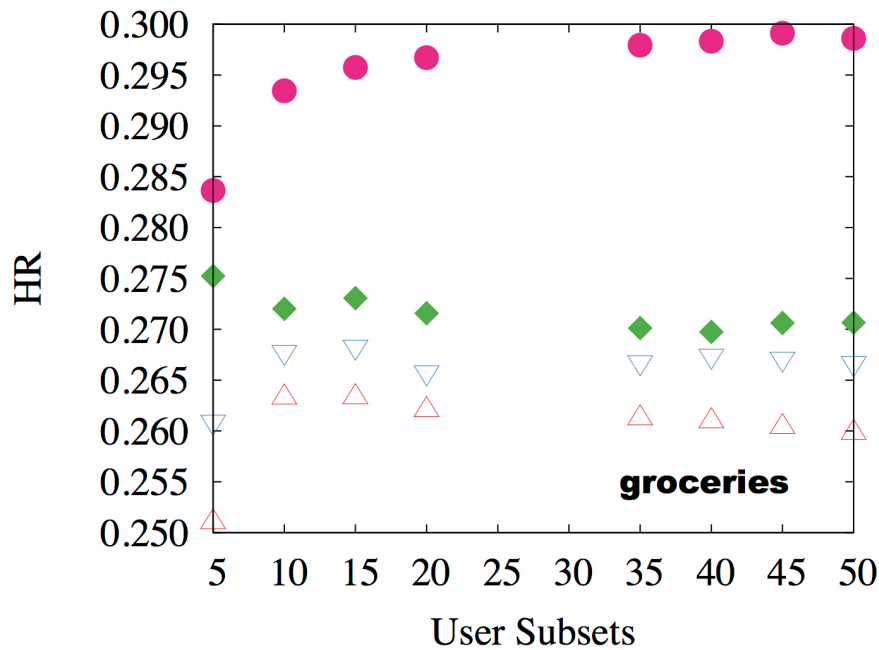
# Experimental Results



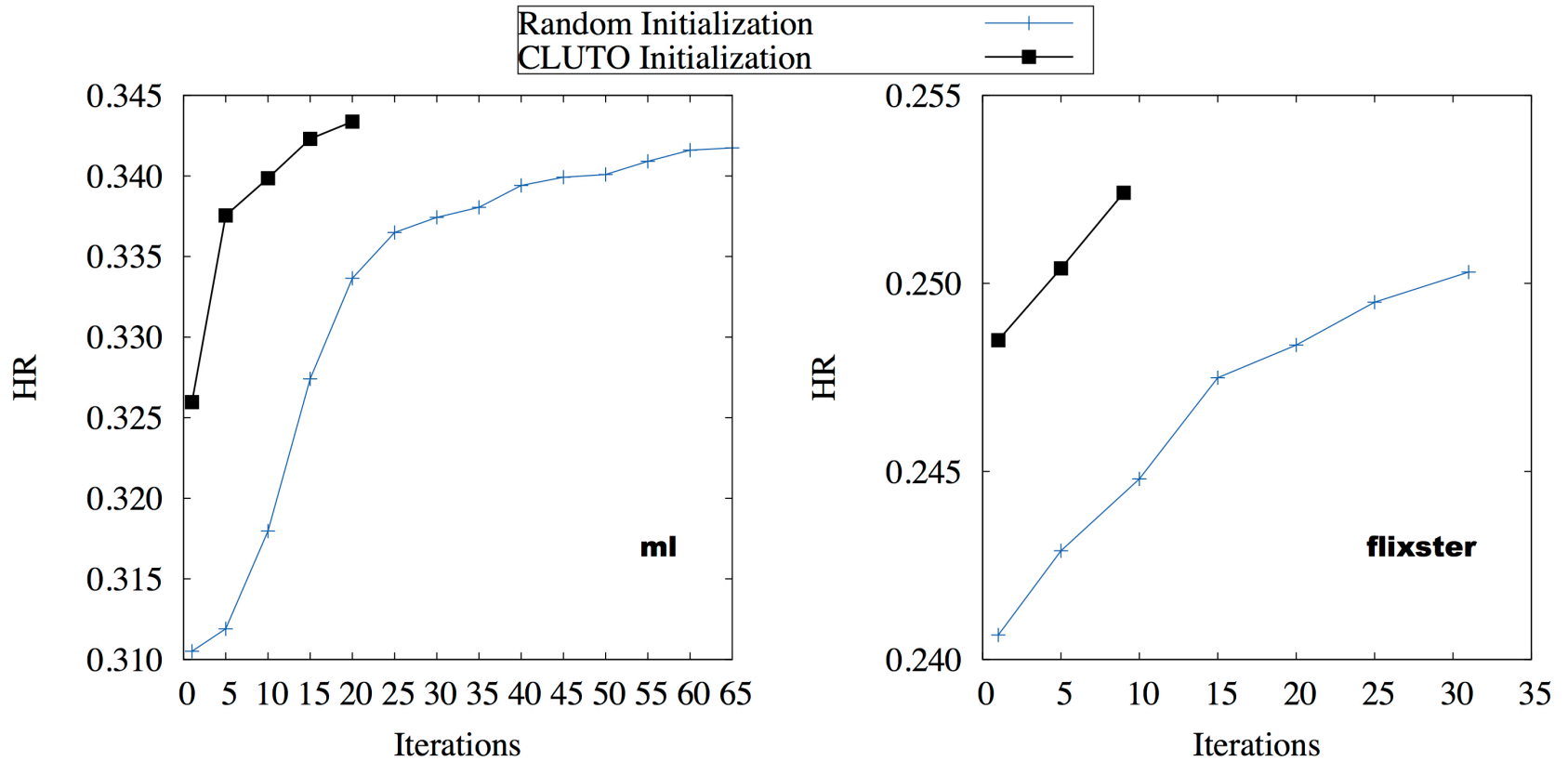
# Performance of the proposed methods



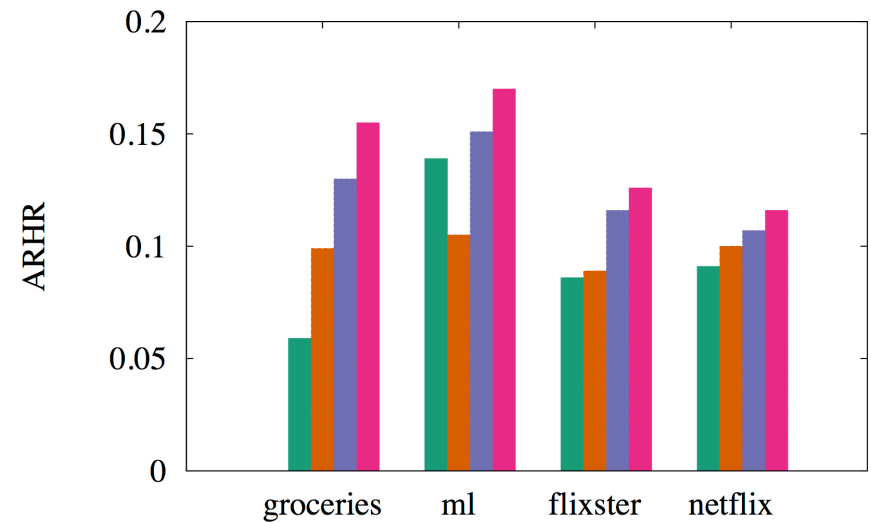
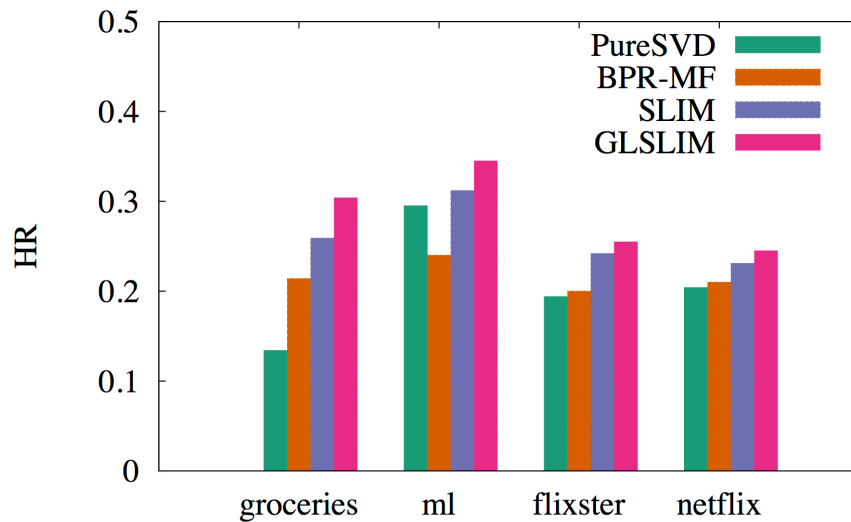
# Sensitivity on the number of User Subsets



# Initializing with Random User Subsets



# Performance against Competing Approaches



# Conclusion

# Conclusion

- GLSLIM improves upon item-based schemes, by capturing the differences in the user preferences.
- Experiments show that GLSLIM outperforms competing top-N recommender methods.
- Using multiple item-item models is valuable!

# Thank you!

